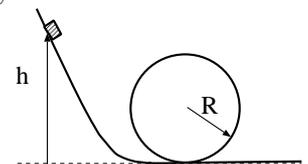
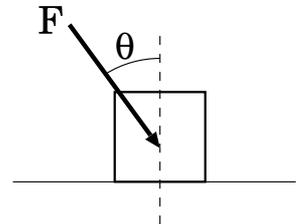


Exercise

- Given two vectors $\vec{a} = (2, 1, 4)$ and $\vec{b} = (-1, -3, 2)$, calculate by vector methods;
 - The length of each
 - The scalar product $\vec{a} \cdot \vec{b}$
 - The cosine of the angle between them
 - The vector product $\vec{a} \times \vec{b}$
- Show that \vec{a} is perpendicular to \vec{b} if $|\vec{a} + \vec{b}| = |\vec{a} - \vec{b}|$.
- Figure shows a force \mathbf{F} acting on a block of mass M resting on a horizontal rough surface with coefficient of friction μ .
 - Assuming $|\mathbf{F}| \gg Mg$, find the maximum angle θ at which the force \mathbf{F} cannot make the block slip, no matter how large it is.
 - Find the ratio $|\mathbf{F}|/Mg$ in terms of θ and μ such that the block will just slip. Show that the answer reduces to that of (a) in the limit $|\mathbf{F}| \gg Mg$.
- In the collision of two particles, the reference frame in which one is initially at rest and the other moving with velocity v is called the *laboratory frame*. Suppose the moving mass is m and the stationary one is $2m$
 - What is the velocity of the center-of-mass frame with respect to the laboratory frame?
 - How much kinetic energy is lost in both the laboratory and center-of-mass frames in a completely inelastic collision, i.e., one in which the particles stick together?
- A mass m slides down a frictionless track and from the bottom rises up to travel in a vertical circle of radius R . Find the height h from which it must be started from rest in order just to traverse the complete circle without falling off under the force of gravity.



- Express the kinetic, potential and total energy of a satellite of mass M in a circular orbit of radius r in terms of the angular momentum J .